## Supplement to 'Merged block randomisation: a novel randomisation

 procedure for small clinical trials'.
## Additional simulation results

Abbreviations used in Figure legends: $\mathrm{DA}=$ deterministic allocation; $\mathrm{PBR}=$ permuted block randomisation; MBR = merged block randomisation; BUD = block urn design; $\mathrm{MP}=$ maximal procedure; $\mathrm{BSD}=$ big stick design; $\mathrm{EBC}=$ Efron's biased coin design; $\mathrm{CR}=$ complete randomisation; $\mathrm{MTI}=$ maximum tolerated imbalance.

Figure S1: Setting 1 (single centre study). Proportion of suballocations (allocations created by stopping recruitment before the number $n$ is reached) with an imbalance of at least 2, averaged over $N=1000$ simulation runs.

Proportion of suballocations with imbalance at least 2


Figure S2: Setting 1 (single centre study). Average correct guess probability of the final allocation over $N=1000$ simulation runs.

Correct guess probability


Figure S3: Setting 2 (multicentre study, 10 centres). Average imbalance of the final allocation (combining the ten strata) over $N=1000$ simulation runs.


Figure S4: Setting 2 (multicentre study, 10 centres). Average correct guess probability, where the average is taken over the ten correct guess probabilities computed for each of the strata; then averaged over the $N=1000$ simulation runs.

Correct guess probability, averaged over the ten strata


## Pseudo-code

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Algorithm 1 Pseudo-code for merged block randomisation
Inputs:
\(n\), the final sample size;
ratio, a vector with the desired allocation ratio, given in integers (e.g. [11] for 1:1
allocation).
Initialization
final \(\leftarrow\) empty vector of length \(n\)
counter \(2 \leftarrow 0\)
Create basis allocations
\(K \leftarrow\) sum of elements of ratio
basis1 \(\leftarrow \operatorname{PBR}(K)\) of length \(n\), with blocks with the treatment assignment in the given
ratio
basis \(2 \leftarrow \operatorname{PBR}(K)\) of length \(n\), with blocks with the treatment assignment in the given
ratio
use1or \(2 \leftarrow\) vector of \(n\) fair coin flips, stored as 1's (heads) and 2's (tails)
Merge
for i from 1 to \(n\) :
    if use1or2[i] equals 1 , then final[ i\(] \leftarrow\) basis1[i-counter2]
    else \(\{\) counter \(2 \leftarrow(\) counter \(2+1)\) and final \([\mathrm{i}] \leftarrow\) basis \(2[\) counter 2\(]\}\)
```

```
R code
library(randomizeR)
BlockMergeGen <- function(n, ratio, labels){
    #n = sample size of final allocation
    #ratio = vector with desired allocation ratio, given in integers
    length.blocks <- sum(ratio)
    nr.basis.blocks <- ceiling(n/length.blocks)
    basis1 <- as.numeric(getRandList(genSeq(pbrPar(rep(length.blocks,
    ceiling(n/length.blocks)), K=length(ratio), ratio = ratio, groups = labels))))[1:n]
    basis2 <- as.numeric(getRandList(genSeq(pbrPar(rep(length.blocks,
    ceiling(n/length.blocks)), K=length(ratio), ratio = ratio, groups = labels))))[1:n]
    #now merge
    res <- rep(0, n)
    row1or2 <- sample(c(1, 2), size = n, prob = c(1/2, 1/2), replace = T)
    taken.from.2 <- 0
    for(i in 1:n){
        if(row1or2[i] == 1){res[i] <- basis1[i - taken.from.2]}
        if(row1or2[i] == 2){
            taken.from.2 <- (taken.from.2 + 1)
            res[i] <- basis2[taken.from.2]
        }
    }
    return(res)
}
```

